

## Loaded double ball bar - LDBB

Contactless excitation and response system - CERS

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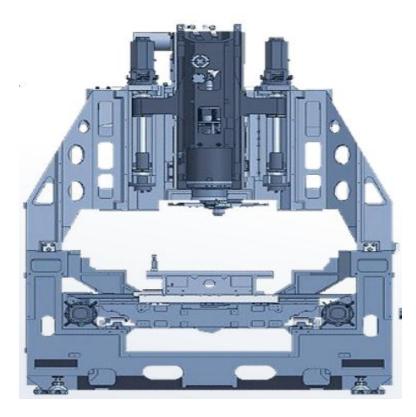
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# Agenda for presentation

- 1. Introduction to the research field
  - Research motivation
- 2. Loaded double ball bar (LDBB)
- 3. Contactless excitation and response system CERS



Unlike most other types of mechanical systems, machine tool structures, due to high requirements on accuracy, are dimensioned with respect to static and dynamic deflection, and corresponding design criteria of stiffness must be applied.







## State of the art

Why characterization of machining system?

- Realistic evaluating of machine tool. Comparing candidate machine tools
- Control and optimization of machining system. Process, components, tools, fixtures
- Maintenance, lack of quick and robust methods Need for practical and fast methods to evaluate a machine tool under loaded condition

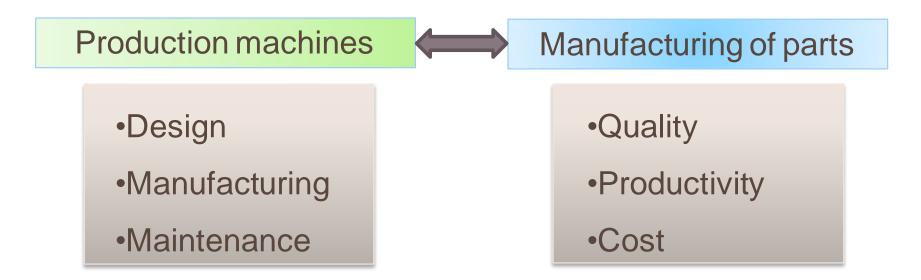
• Virtual machining and feature based programming. e.g. replacing M and G codes, STEP-NC.



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## Relevance

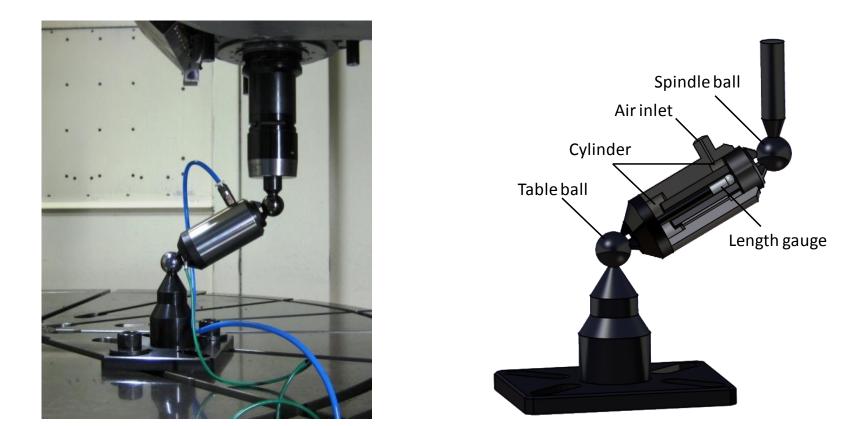
- New environmentally friendly and safe vehicles require light weight materials with higher strength and, as a consequence, tougher machining conditions and increased machining robustness.
- The very complex system of machine tool, fixture, cutting tools and the machined part is almost impossible to model without complementary measurements in and manufacturing experience collection from the real system.





# Off-operational machining system

### Loaded Double Ball Bar (LDBB) for static evaluation



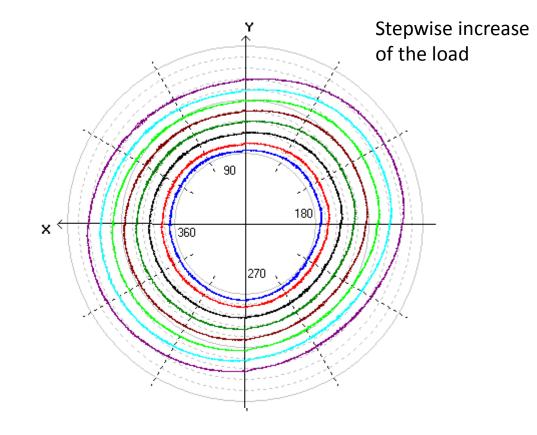


# Off-operational machining system

#### Loaded Double Ball Bar (LDBB) for static evaluation



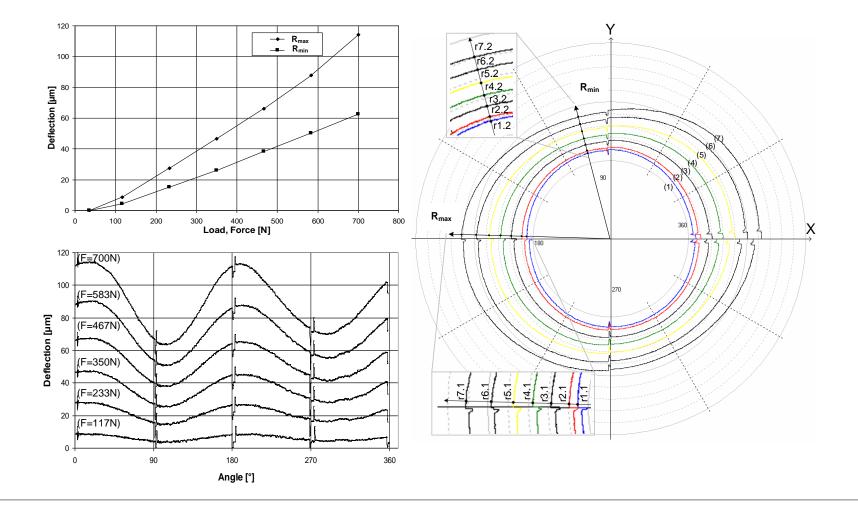
**Displacement in X-Y plane** 





# Off-operational machining system

#### Loaded Double Ball Bar (LDBB) for static evaluation





## Off-operational machining system

Position #	Force F [N]	Deflection <i>R<sub>max</sub></i> [µm]	Position #	Deflection <i>R<sub>min</sub></i> [µm]
1.1	35	0	1.2	0
2.1	117	9	2.2	4
3.1	233	27	3.2	15
4.1	350	47	4.2	26
5.1	467	66	5.2	38
6.1	583	88	6.2	50
7.1	700	114	7.2	62

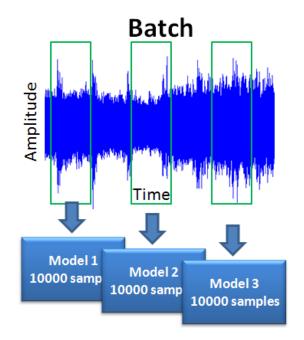
$$k_{\text{smin1}} = \frac{F(2.1) - F(1.1)}{R_{\text{max}}(2.1) - R_{\text{max}}(1.1)} \Rightarrow k_{\text{smin1}} = 9 \text{ N/}\mu\text{m}$$

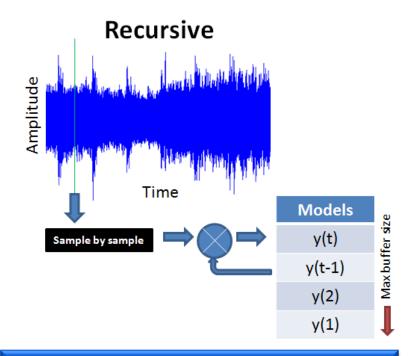
$$k_{smin2} = \frac{F(7.1) - F(2.1)}{R_{max}(7.1) - R_{max}(2.1)} \Rightarrow k_{smin2} = 6 \text{ N/}\mu\text{m}$$



## Identification model

#### Batch and recursive (adaptive) estimation





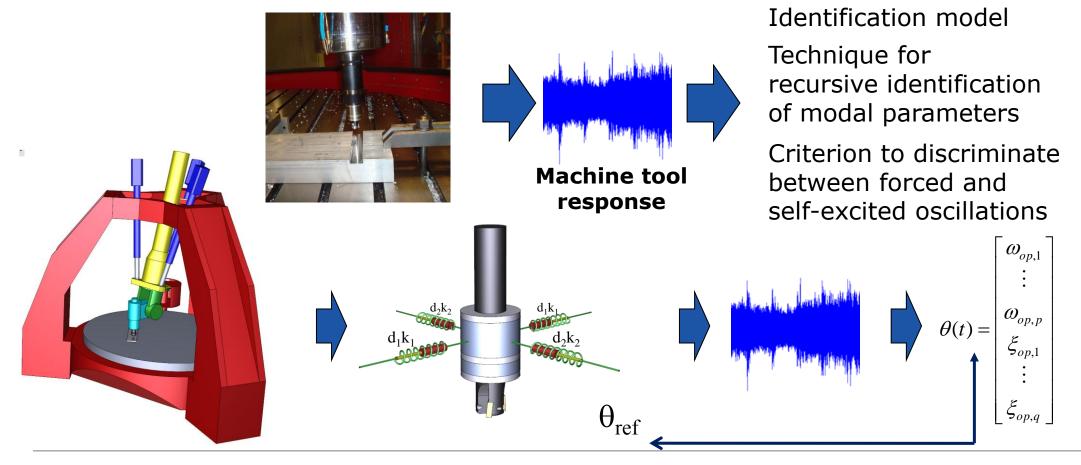
- Stationary systems
- + High accuracy
- + Optimized model structure and order
- Average behaviour of the system
- Long time to process data

- Time-varying systems
- + Each sample one model
- Model structure and order *a priori*
- Less accuracy



## Validation

Select the model, the model order, sampling interval and check the fitness





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### Experiments

Two purposes of the experimental part

- 1. Demonstrate the recursive identification techniques ability to estimate the time-varying modal parameters.
- 2. To compare the modal parameters with the operational dynamic parameters of en end-milling operation.



Machine tool: Hybrid parallel kinematic structure

Spindle system: IBAG HF 170, *n*=0-24000 rpm

Contact-less excitation system: Modified active magnetic bearing unit

Response sensor: 3-directional accelerometer

Tool: Modified 3 tooth CoroMill R390



### Experiments



New method, PMI testing



EMA (n<sub>s</sub>=0 rpm)

Recursive estimation  $(n_s \ge 0 \text{ rpm})$ 

Recursive In-process testing



## Thank You for Your attention!